

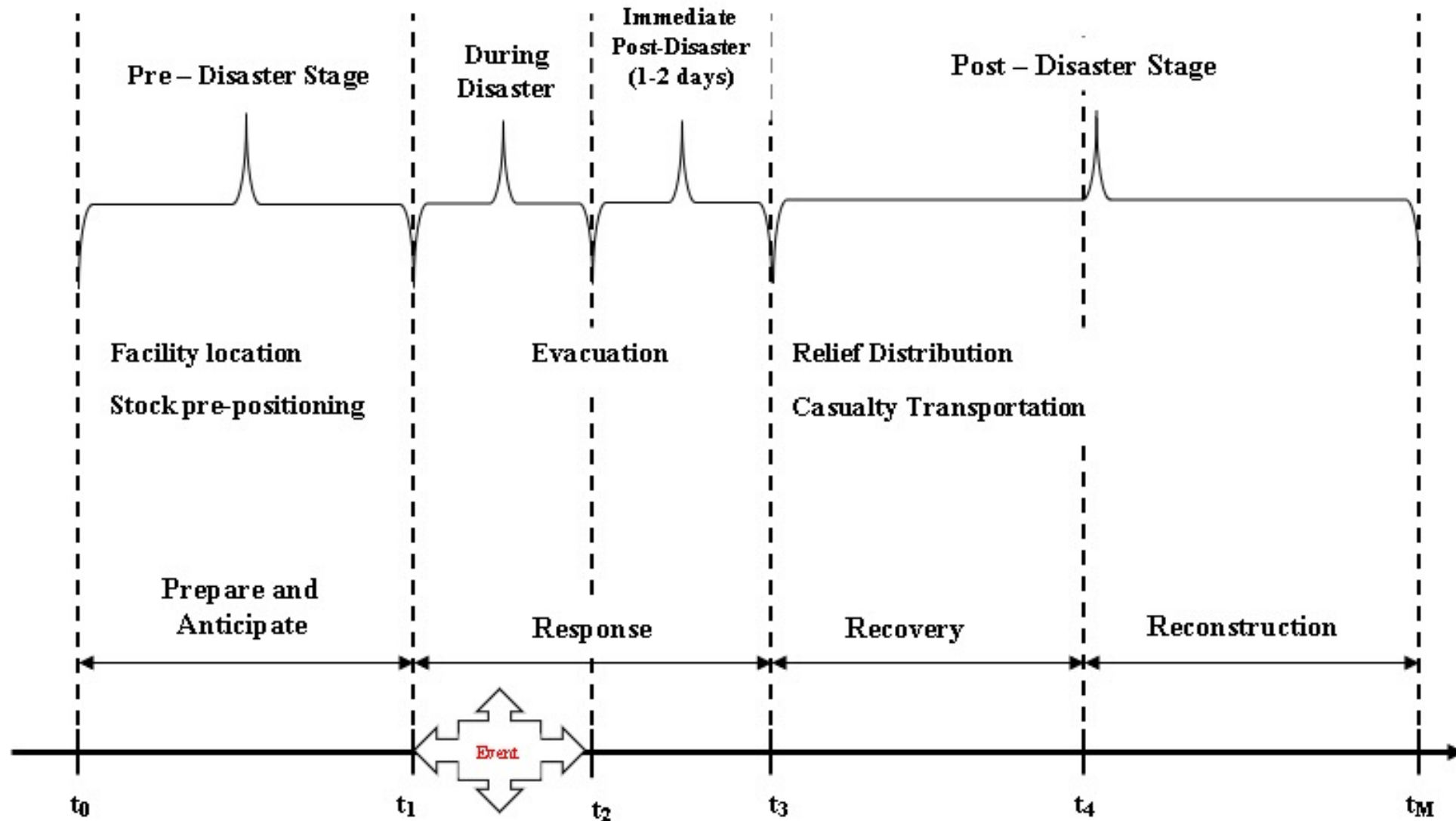
Definition of an enriched GIS network for evacuation planning

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Introduction

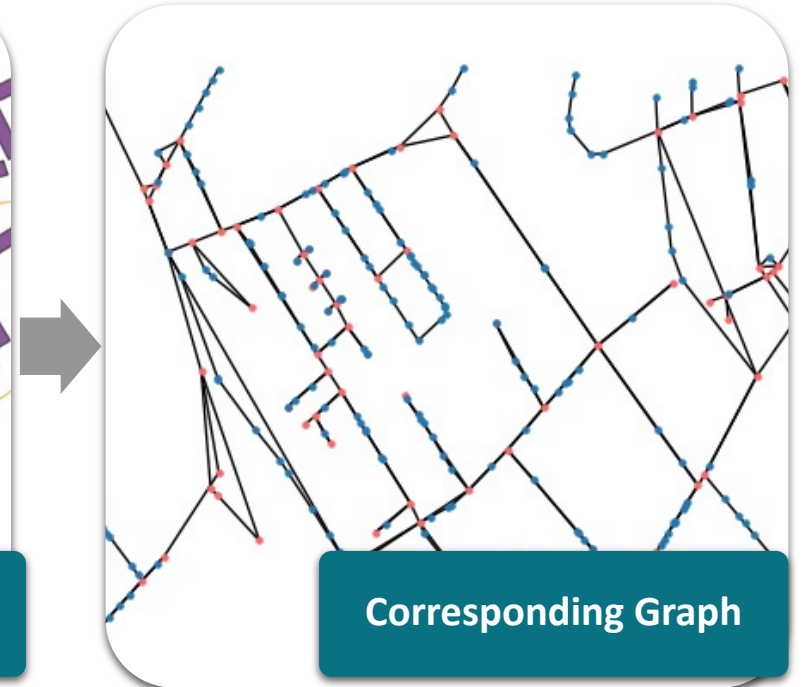
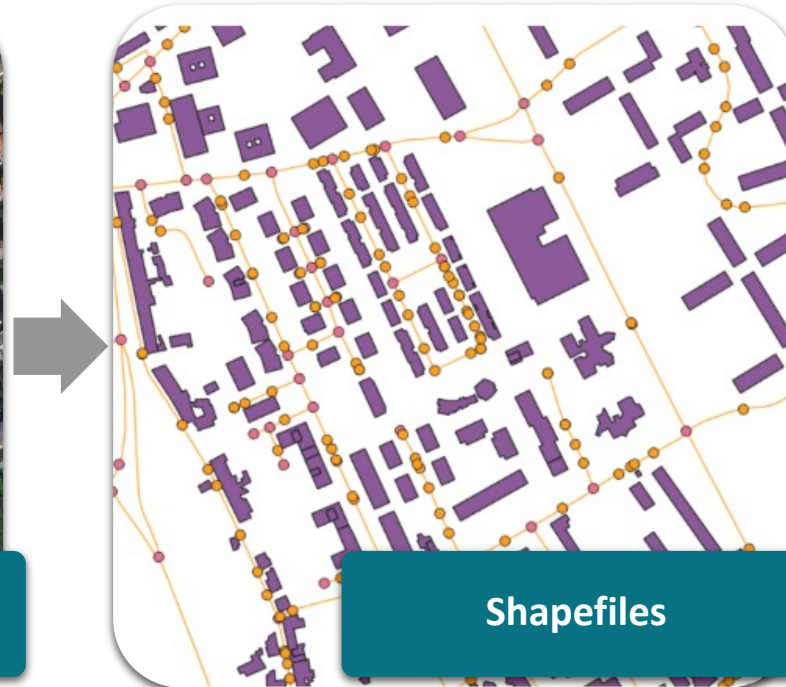
- This paper leverages on two-steps modeling framework adopted for emergency evacuation planning
 - A method that extracts from an enriched GIS data a network description of the area to be evacuated.
 - A dynamic optimization model that evaluates the minimum time necessary to evacuate maximum people from an endangered zone/area to a pre-identified safe locations.
- Every year, more than 500 disasters are estimated to strike our planet, killing around 75,000 people and impacting more than 200 million others.
- L'Aquila earthquake in 2009

Disaster Management

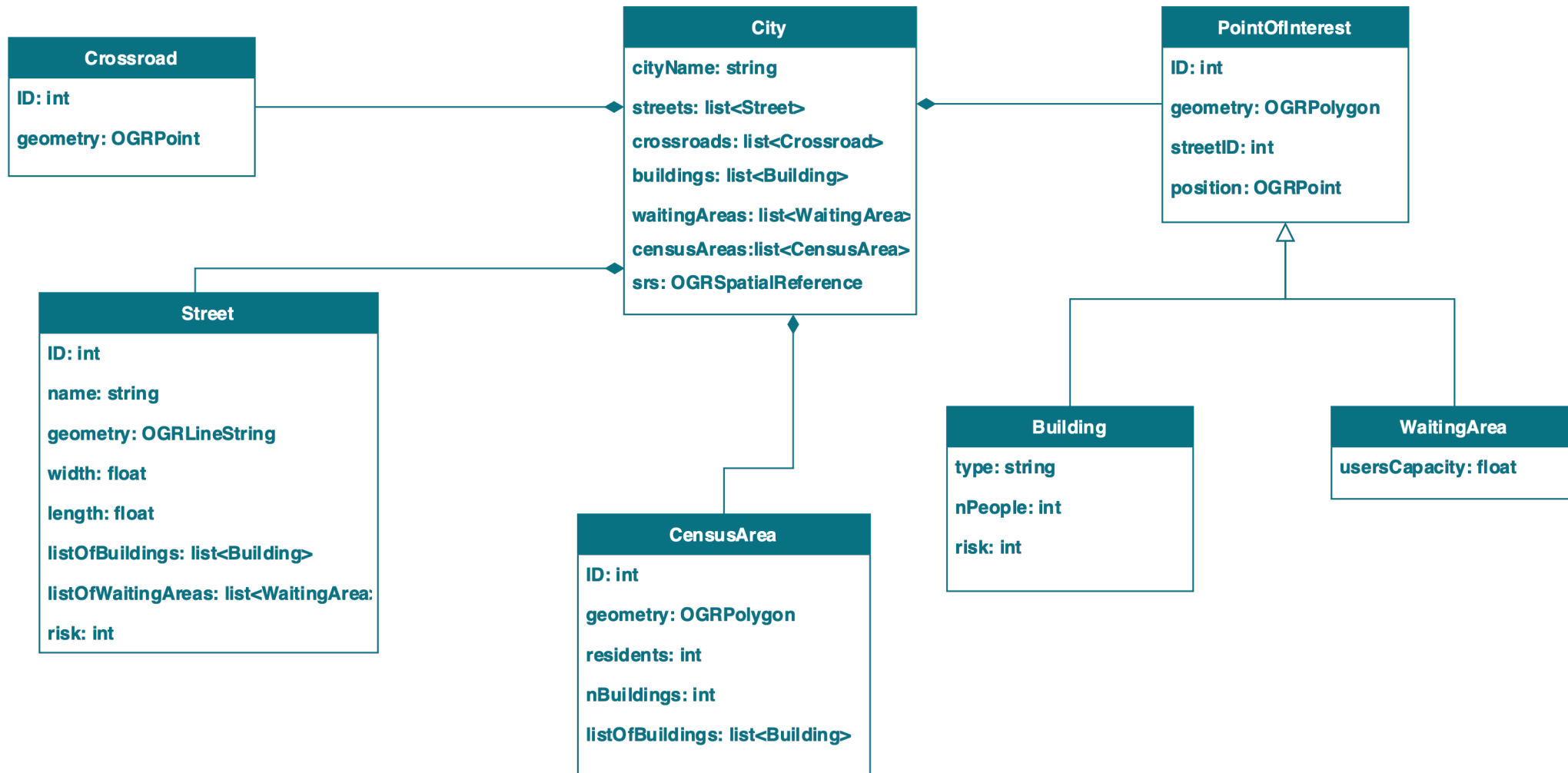


Network Definition

Extracting geographical data of the area to be evacuated in order to model it into a network



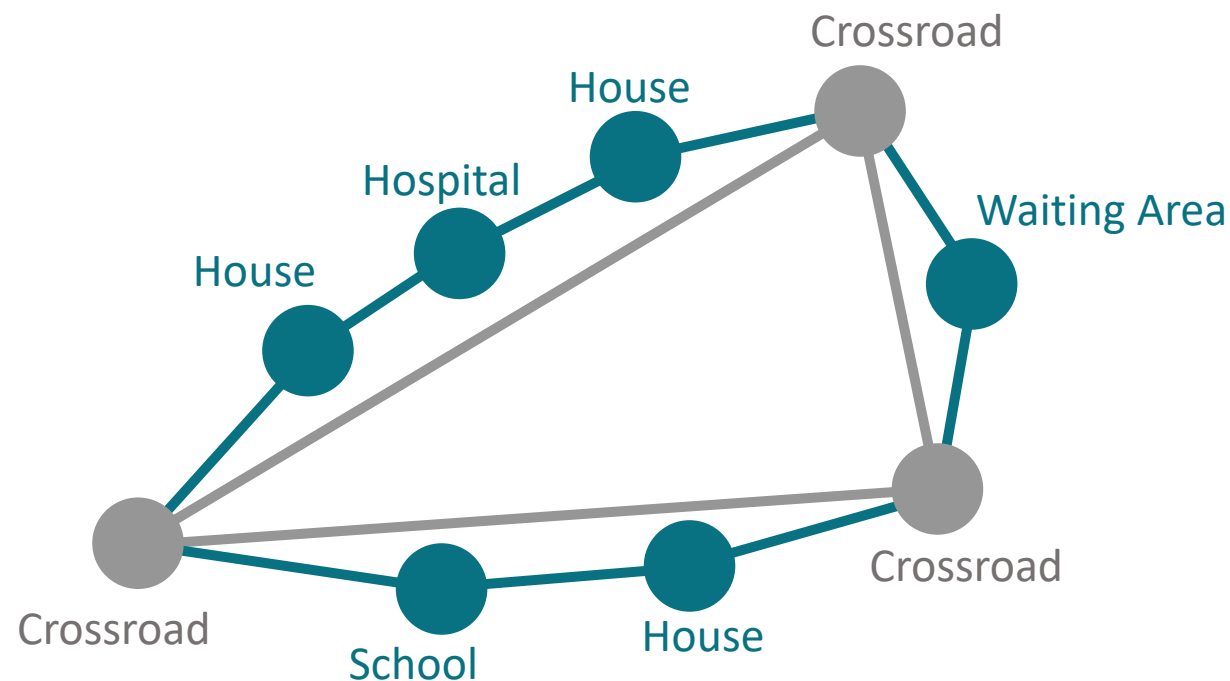
Network Definition



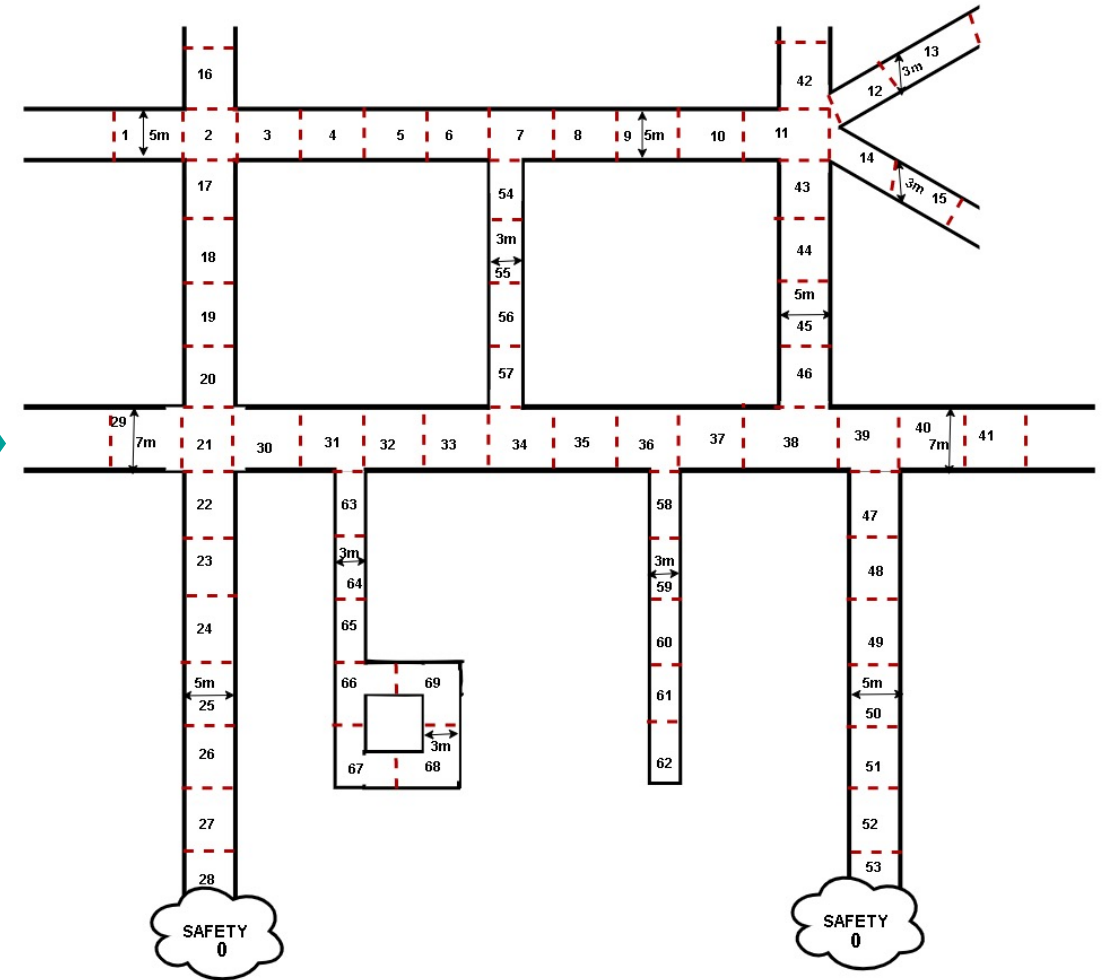
Network Definition

$G_D = (V, E) = (V_B \cup V_C \cup V_{WA}, E_S \cup E_{HS})$ where

- V are the nodes:
 - V_C are the crossroads,
 - V_B are the **buildings**,
 - V_{WA} are the **waiting areas**
- E are the edges:
 - E_S are the streets
 - E_{HS} are the **half-streets**

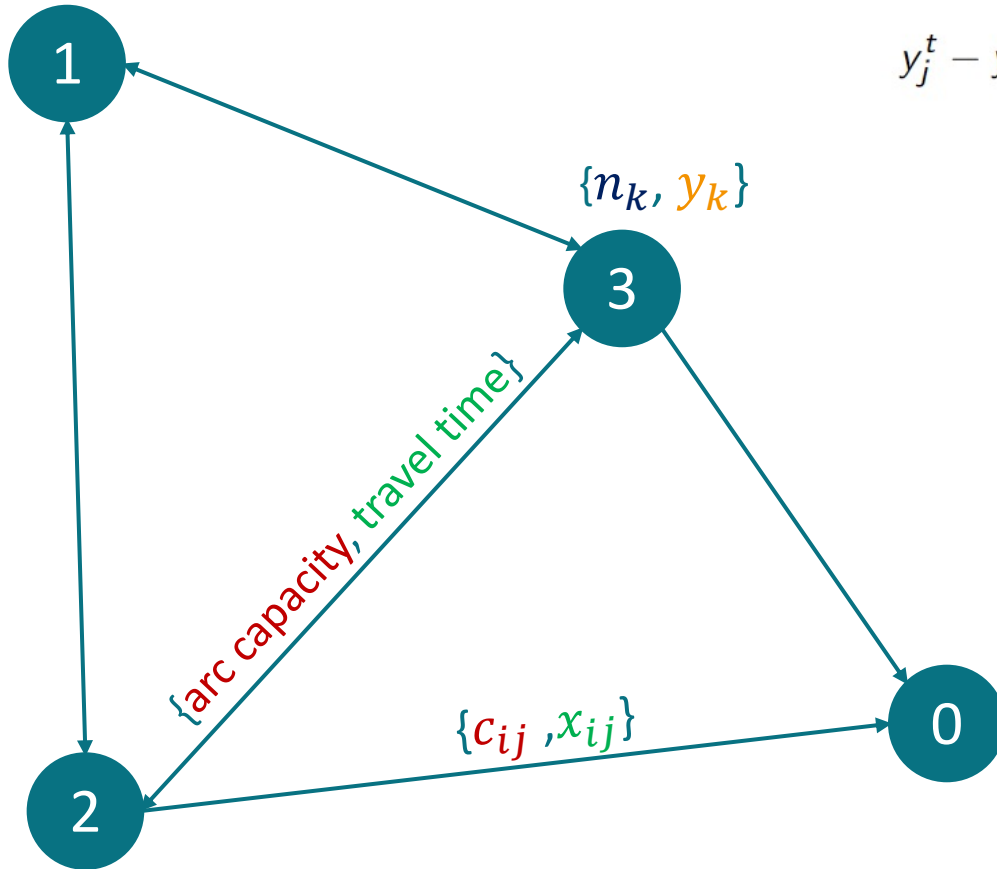


Generating the Dynamic network for evacuation plan



Dynamic Model and Parameters

{node capacity, **current occupancy**}



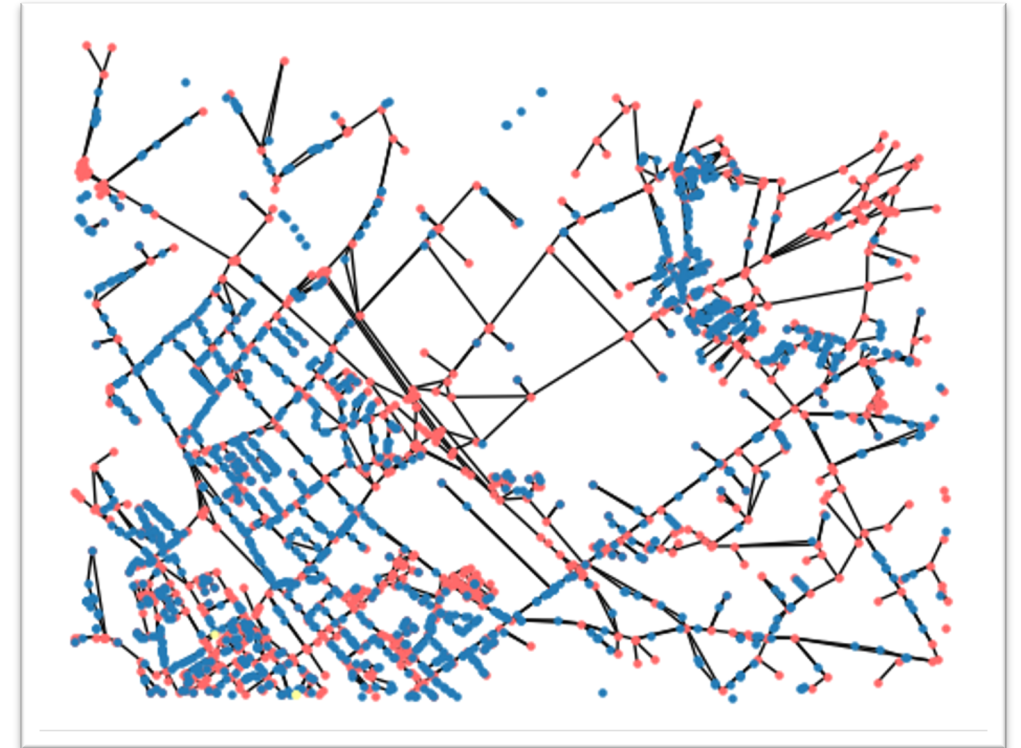
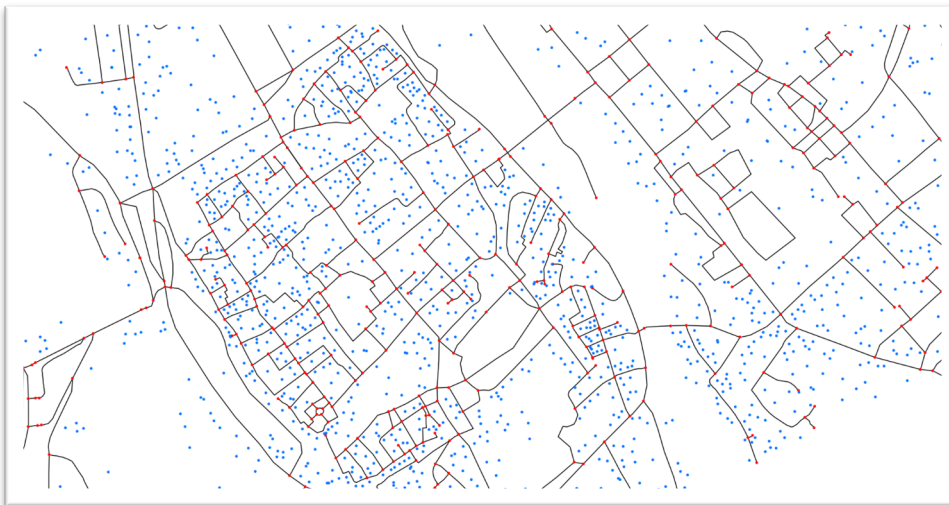
$$\begin{aligned} & \max \{y_0^\tau\} \\ & y_j^t - y_j^{t-1} - \sum_{i:ij \in A} x_{ij}^{t-1} + \sum_{i:ji \in A} x_{ji}^{t-1} = 0, \quad j \in V, t \in T, t > 0 \\ & 0 \leq x_{ij}^t + x_{ji}^t \leq c_{ij}, \quad \forall (ij) \in A, t \in T \\ & 0 \leq y_i^t \leq n_i, \quad \forall i \in V, t \in T \end{aligned}$$

Setting model parameters

To get a reliable model, parameters were set to numbers that reflect reality in literature.

Parameters	Value
Model Granularity	Rectangular Grid
Walking Velocity	1.0 m/s
Cell Capacity	0.5 sq meters per evacuee
Street Capacity	1.8 persons per second per 1-meter door width

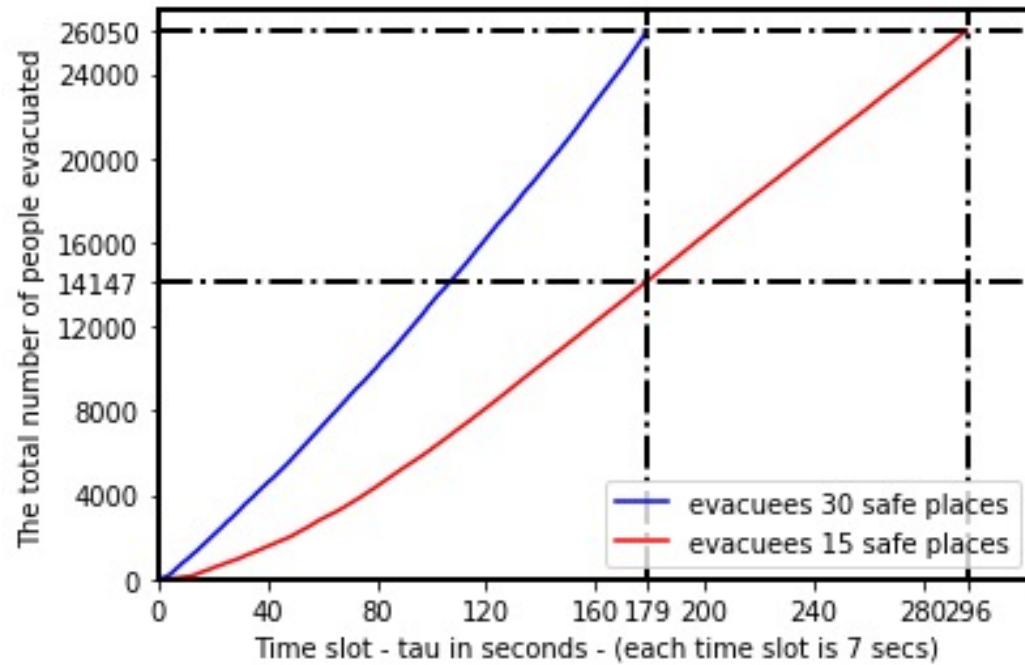
Experiments – Application to Sulmona



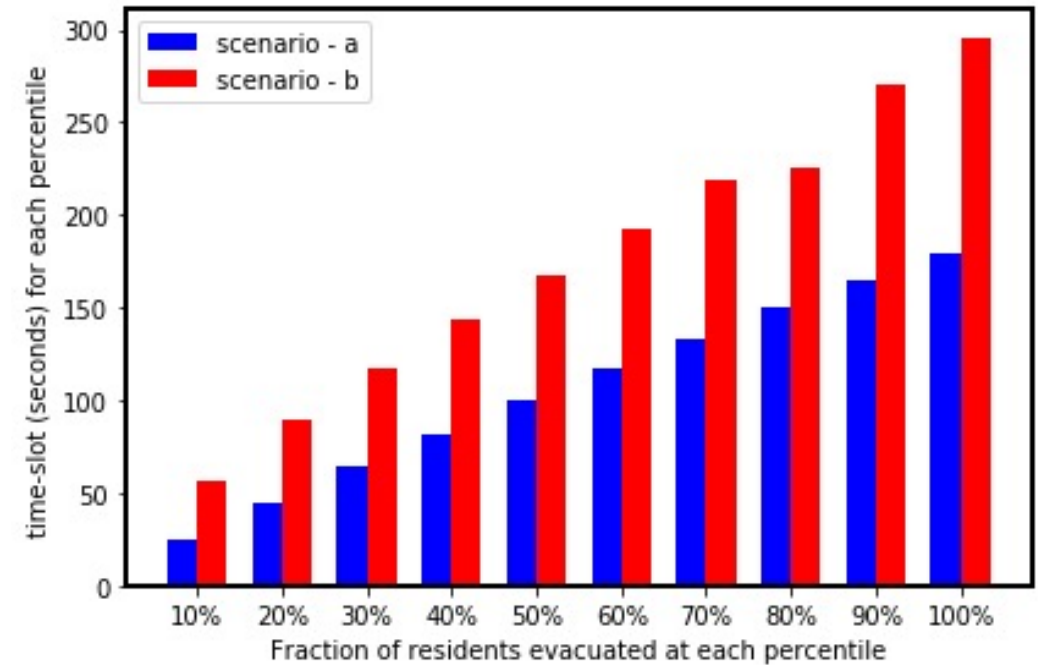
Experiments – Application to Sulmona

- We run the dynamic flow model to safely evacuate people from Sulmona in a case of a disaster.
- The cross-roads network was used with **920** junctions and **1162** interconnecting streets.
- The embedding resulted in a graph with **12675** nodes corresponding to the cells and including super sink node **0** as safe place.
- Adjacent cells were linked by **25892** arcs which allowed people traverse cells.
- Each unit time slot was obtained as **7** seconds
- Finally, we run the simulation with **26050** people randomly distributed in cells.

Results

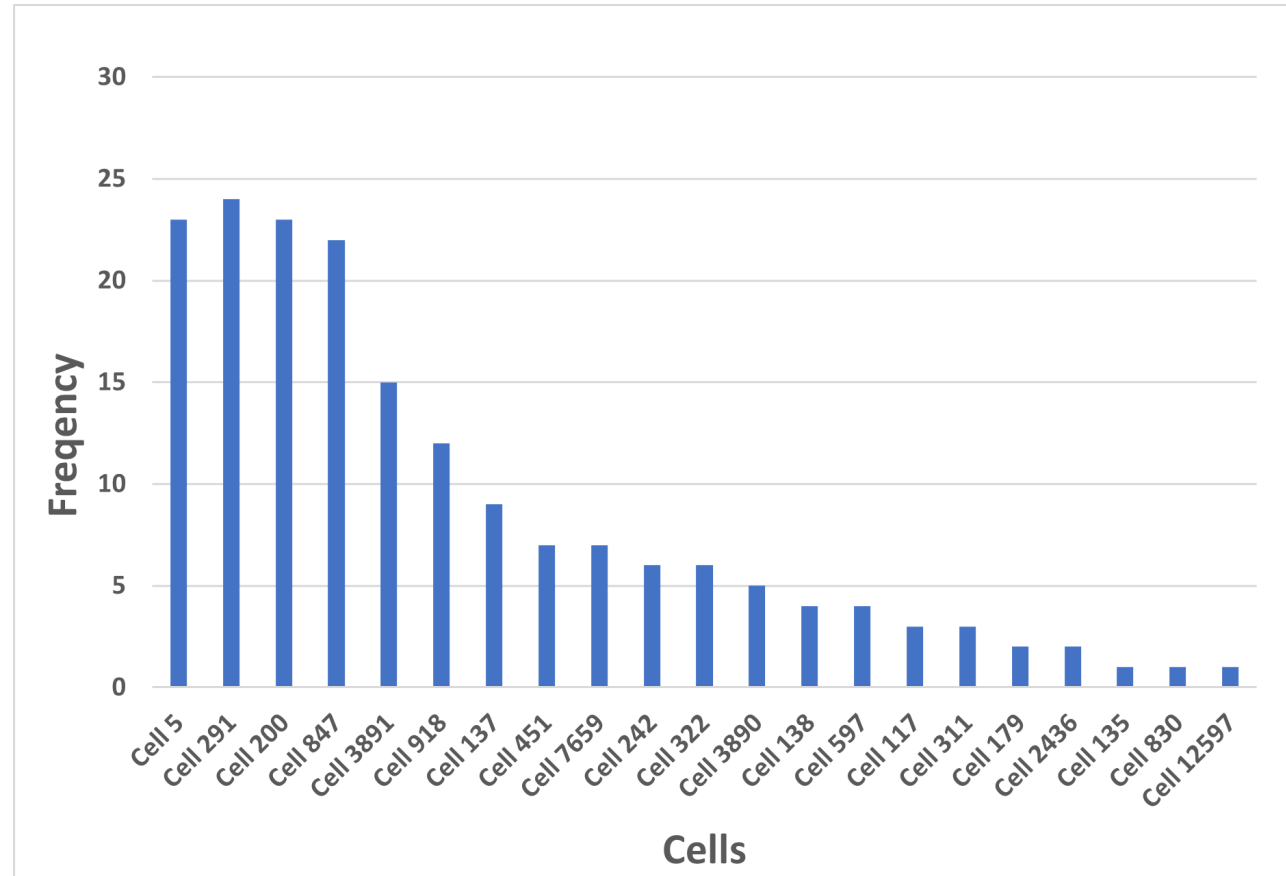


Total time taken to evacuate various fractions/portions of total evacuees for each scenario.



Total number of evacuees at each time slot for two scenarios - (a) 30 safe areas and (b) 15 safe places.

Results



The number of times a cell has the maximum capacity in all the time slots.

Conclusion

The contribution of this paper was threefold:

- The definition of a new algorithm able to generate an enriched network from GIS data, specifically tailored to include useful information for emergency management
- The adaptation of the optimization model developed by [1] to outdoor scenarios, that is the evacuation plan of a city in case of natural disaster;
- The validation of the previous step to a real case study, i.e., the historical center of Sulmona city in Italy.

[1] Arbib, C., Moghaddam, M. T., and Muccini, H. (2019). lot flows: a network flow model application to building evacuation. In *A View of Operations Research Applications in Italy, 2018*, pages 115–131. Springer

Future work

We plan to extend both the network construction and the optimization model in order to manage more real situations.

- Working to make more general the network to use it in other relevant problems, such as pre- and post-disaster facilities planning, and post-disaster reconstruction planning
- A more reliable estimation of people in a building.
- For the optimization model, we aim to add the congestion that will approximate the non-linearity of the arc capacities.
- Finally, we aim to make a trade-off analysis between the number of safe places and the total evacuation time.



THANK YOU FOR
YOUR ATTENTION

ANY QUESTIONS?

Dynamic Model

- Following closing the CTM developed by [1, 2] the area to be evacuated is partitioned into cells embedded into an appropriate grid to get the graph $G = (V, A)$
- Nodes have 2 parameters: current population and maximum capacity
- Edges also have 2 parameters: capacity and travel time
- Model Parameters
 - $T = \{0, 1, \dots, \tau\}$:= the unit time slots
 - n_i := capacity of cell i
 - c_{ij} := capacity of arc $ij \in A$
 - y_i^t := state of cell $i \in V$ at time $t \in T$
 - x_{ij}^t := the flow that leave cell i at time t and reach adjacent cell j at time $t+1$
 - q_i := initial number of evacuees in any cell

$$\begin{aligned}
 & \max \{y_0^\tau\} \\
 & y_j^t - y_j^{t-1} - \sum_{i:ij \in A} x_{ij}^{t-1} + \sum_{i:ji \in A} x_{ji}^{t-1} = 0, \quad j \in V, t \in T, t > 0 \\
 & 0 \leq x_{ij}^t + x_{ji}^t \leq c_{ij}, \quad \forall (ij) \in A, t \in T \\
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 \end{aligned}$$